The Structure of Excitation and Fluorescence Spectra Recorded at the ${}^{1}0_{u}^{+}$ (5¹P₁)-X ${}^{1}0_{g}^{+}$ Transition in Cd₂. **Is Cadmium Dimer a van der Waals Molecule? ‡ u** $+$ $15¹$ **1 1 g + 2**

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readers are introduced to the current experimental *techniques of laser spectroscopy of van der Waals complexes produced in supersonic beams. The book is unique in its style, subject and scope, and provides information on recent research not only for researchers focusing on molecular spectroscopy but also for those interested in the cooling of atoms and molecules.*

Fig. 1. Ground and Ω -ungerade potential energy curves of Cd₂ molecule obtained in quasirelativistic valence *ab initio* calculations at the complete-The investigated 10 t (5 $^{1}\text{P}_{1}$) \sim X 10 g $^{+}$ and $^{+0}$ t $_{\rm u}$ (5 $^{1}\text{P}_{1}$) \rightarrow X 10 g transitions are active-space multiconfiguration self-consistent-field (CASSCF/CAS) multireference second-order perturbation theory (CASPT2) level with the total 40 correlated electrons. In the calculations, the Cd atom was considered as a 20-valence electron system whereas the Cd $^{20+}$ core is replaced by an energy-consistent pseudopotential which also accounts for scalar-relativistic effects and spin-orbit interaction within the valence shell. indicated (blue and green arrows, respectively).

M appropriate Mach numbers: M_{eff} - effective, M_T - terminal; X_{eff}, X_T - corresponding **Fig. 2.** Schematic layout of the apparatus [see also J. Koperski, *Phys. Reports* 369, 177(2002)]. O-stainless-steel oven; MB-molecular beam; V-vacuum pump system; **BBO-C**-second harmonic generator; **BS**-beam splitter; **SHS**-second harmonic selector; C-scanning controllers; FP-Fabry-Perot interferometer; PD-photodiodes; PMT-photomultiplier tube; MON-monochromator; F-filter; L-lens; BD-beam dump. Insert shows s chematic diagram of a supersonic expansion beam cross-section. distances from the nozzle; X_M - distance to the Mach disk shock; $\mathsf{P}_0, \mathsf{T}_0, \mathsf{n}_0\,$ - pressure, temperature, and density of expanding species in the source; D - diameter of the orifice; P_1 - background pressure (P_1 << P_0). Magnitudes of the Mach number (M<<1, M<1, M=1, M>>1) are indicated along the expansion.

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Jarosław Koperski

Van der Waals Complexes in Supersonic Beams

Overview

Excitation and fluorescence ultraviolet spectra of Cd₂ recorded at the $^10^+_u(5^1P_1)$ -X $^10^+_g$ transition are reported. The Cd₂ molecules (seeded in Ar) produced in a continuous free-jet supersonic beam were excited in a vacuum chamber with a pulsed dye-laser beam (Fig. 2). A well-resolved vibrational structure of the $^{1}0^{+}_{u}$ \sim X $^{1}0^{+}_{g}$ excitation spectrum as well as the isotopic structure of the vibrational components were recorded (Figs. 3 and 4). Analysis of the spectrum (Fig. 5) yielded vibrational constants for the 10^+ state: ω_e =100.50±0.25 cm⁻¹, $_5^\prime$ x_e =0.325±0.003 cm $^{-1}$, D $_0^\prime$ =8638±15 cm $^{-1}$, D $_{{\rm e}}^\prime$ =8688±15 cm $^{-1}$ and $\Delta {\sf R} _{{\rm e}}$ = ${\sf R}^{\prime\prime}_{\rm e}$ - ${\sf R}^{\prime\prime}_{\rm e}$ = 1.04±0.01 Å derived for the $^{226}{\sf Cd}_2$ isotopomer. The $^10^+_{{\rm u}}$ state potential energy curve was obtained numerically using an inverse perturbation approach procedure [Kosman and Hinze, *J. Mol.* Spectrosc. 56, 93 (1975), Vidal and Scheingraber, J. Mol. Spectrosc. 65, 46 (1977)] (Fig. 7). A Condon internal diffraction patterns in the 10^+_u \rightarrow X 10^+_d fluorescence band, emitted upon a selective excitation of the v '=38 and v '=39 vibrational components of the ²²⁶Cd₂ isotopomer, were observed (Fig. 6) and improved the $\mathfrak v$ ' assignments derived from the analysis of the isotopic structure. Analysis of the fluorescence spectrum yielded information on the repulsive part of the ground-state interatomic potential (Fig. 8). The result confirms a relatively *soft repulsion* between two Cd atoms in the short-range (2.53-4.05 Å) region and make allowance for a *covalent admixture* to the ground-state van der Waals bonding. Quasi-relativistic valence *ab initio* calculations on the potential energy curves for the investigated states have been performed at the complete-active-space multiconfiguration self-consistent-field (CASSCF/CAS) multireference second-order perturbation theory (CASPT2) level with the total 40 correlated electrons. In the calculations, the Cd atom is considered as a 20-valence electron system whereas the Cd $^{20+}$ core is replaced by an energy-consistent pseudopotential which also accounts for scalar-relativistic effects and spin-orbit interaction within the valence shell (Figs. 1, 7 and 8) . Acomparison with results of other experiments and *ab initio* calculation is presented. $1 \Omega^+$ u $1P_{1}$ - X^{1} 0^{+} 1 g answership and reported. The $\cup q_2$ u $-X^10^+$ μ slale. ω_e e ^e -1 0 -1 e 1 e^{-r} e re 226 2 $1 \Omega^+$ u u 10^{+} g 226 → X¹0_g fluorescence band, emitted upon a selective excitation of the v '=38 and v '=39 vibrational components of the ²²⁶Cd₂ 1 were recorded (Figs. 3 and 4). Analysis of the spectrum (Fig. 5) yielded vit
ω¦ x¦ =0.325±0.003 cm⁻¹, D₀'=8638±15 cm⁻¹, D¦ =8688±15 cm⁻¹ and ∆R_e=R¦ - υ

> **Fig. 6. (a)** The total 10^+_u , $v' = 38 - X^10^+_g$ fluorescence band recorded with a 40 cm⁻¹ MON the band is due to the $v' = 38 - v''$ bound-bound transitions. (b) A computer simulation [R. J. LeRoy, Comput. Phys. Comm. 52, 383 (1989)] of the bound-free part of the band showing cm⁻¹ and b=3.63 Å⁻¹ representing the \bar{X}^{10} _a potential. Left insert shows: (c), (d) and (e) cm⁻¹ and 15 cm⁻¹, respectively, (f) part of the simulation of bound-free profile as in (b), (g) cm⁻¹; Right insert shows: (h) ab-initio points calculated for the elements of transition dipole slit-width; $\chi_{\rm eff}$ =4 mm, p_{Ar}=14 atm, T $_{\rm 0}$ =890 K. The sharp peak at the short-wavelength end of the "best fit" obtained using a short-range Ae^{-bR} Born-Mayer potential with A=6.178×10⁷ the short-wavelength part of the fluorescence band recorded with slit-widths of 30 cm⁻¹, 20
the short-wavelength part of the fluorescence band recorded with slit-widths of 30 cm⁻¹, 20 the simulation [LeRoy, LEVEL 7.5.code] of the bound-bound transitions (the individual F-CF corresponding to vibrational transitions vertical bars are represented by a Gauss convolution function representing the MON throughput with FWHM of 2 A, *i.e.* approx. 30 moment < I (R)I > , region of R corresponding to the detected fluorescence 0 X 0 1 +u *M* 1 + *^z* ^g spectrum is depicted.

Fig. 7. Potential energy curves for the ${}^{1}0_{u}^{+}(5{}^{1}P_{1})$ state plotted using a Morse representation (thick solid line) with constants obtained in this work (see Table I). Results of the inverse perturbation approach procedure (open circles, the E(R) values are available from the authors (J.K.) upon request) and *ab initio* calculations (full circles) are also shown. A range of v' levels accessible in the excitation from the $v''=0$ ground-state level is indicated. The results are compared with a Morse representation (thin solid line) obtained by Rodriguez and Eden [J. Chem. Phys. 95, 5539 (1991)].

Fig. 8. (a) Potential energy curves for the $X^10^+_g(5^1S_0)$ state plotted using the Morse representation [M. Czajkowski and J. Koperski, Spectrochim. Acta Part A 55, 2221 (1999)] (dotted line) as well Ae^{-bR}+C Born-Mayer potential with A=6.178×10⁷ cm⁻¹, b=3.63 Å⁻¹ and C= -362.91 cm^{-1} (solid line); repulsive part produced by the inversion procedure [R. J. LeRoy, *RPOT* code] (empty squares); points of our ab *initio* calculation (full circles); ab initio result of Yu and Dolg [Chem. , 329 (1997)] (empty circles). The insert shows details of *Phys. Lett.* **273** the bound part of the potential: all representations as in main Figure, except a hybrid potential (solid line), *i.e.* the Born-Mayer combined with Morse-vdW potential

[D_e {1-exp[-β(R-R_e)]}²-{1-exp[-(R-R_c)¹²]}C_ora R⁶] plotted with D_e⁻ (1-exp[-β(R-R_e)]}²-{1-exp[-(R-R_c)¹²]}C₆'/R⁶]
plotted with D_e=330.5 cm⁻¹, β=1.1531 Å⁻¹, R_e =4.07 Å, C₆ =2.46106 plotted with D_e -330.9 cm, $p=1.1931A$, N_e -4.07 A, C_6 -2.46100
cm⁻¹Å⁶, and R_c=9.34 Å determined in this work. Position of the v"=3 vibrational level is shown. (**b**) Charge fluctuations *versus* square of the α_{Me} , for Me₂ (Me=Zn, Cd, Hg) molecules (for local spin for ns and np localized valence orbitals on one of the two
atoms of several Me, dimense of several Me, dimense The limiting value of the charge of the charge atoms of several Me₂ dimers. The limiting value of the charge $e^{\frac{1}{2}}$ =330.5 cm⁻¹ β (R-R_e)]}²-{1-exp[-(R-R_c)¹²]} Å $_{\rm e}$)]}²-{1-exp[-{R-R_c)¹² $\overline{\beta}$ =1.1531 $\overline{\text{A}}$ ⁻¹

Fig. 4. The isotopic structure of the $v' = 40$ vibrational component of the spectrum from Fig. 3. (a) Experimental trace, (A_1+A_2) for isotopic components are depicted. (b) Amplitudes of all elementary components with different (m₁+m₂) mass combinations within each of the (A_1+A_2) isotopic peak showing complexity of one vibrational component. (c) Simulation of the rotational structure of each of the (m_1+m_2) elementary component (P and R branches, Q branch is not present); $B_{0'=40}=0.0208$ cm⁻¹ and $B_{0''=0}=0.0136$ cm⁻¹ rotational constants were calculated using formula

 $B_v = h [1 - \omega_e x_e (v + 1/2) / \omega_e] / 8 \pi^2 c \mu R_e$, (1) where *h* and *c* are Planck constant and speed of light, respectively, R_e, $\omega_{\rm e}$ and ω_{e} _g are taken from Tables I and II; dependencies $B_e^{isot} = \rho^2 B_e$ and $\alpha_{\rm e}^{\rm isot} = \rho^3 \alpha_{\rm e}$, where subscript *isot* denotes the constant for different isotopomer, as well as missing of every alternate line in the branches for each A-like isotopomer and intensity alteration that depends on the statistics of the nuclei were not taken into account as negligible in this approximation; to clarify the picture each rotational component is represented by short vertical line. (d) Final simulation obtained by representing each of the rotational components in (c) with a Lorentzian curve with FWHM of 0.3 cm $^{-1}$.

Fig. 5. *Left:* Birge-Sponer plot drawn for isotopic peaks belonging to the ²²⁶Cd₂ isotopomer in the $v' \in v'' = 0$ progression of the excitation spectrum recorded at the 10^+ (5 1^0) \in X^10^+ g transition in C **Example 3** Server Bilge-Sporter plot drawn for isotopic peaks belonging to the α_2 isotopomer in the $0 - 0$ Progression of the excitation spectrum recorded at the α_1 (5¹P₁)–X¹0⁺g transition in Cd₂. Dashe different isotopic components in the $^70^+_u$ \sim X $^10^+_g$ $\,$ excitation spectrum of Cd $_2$ shown in Fig. 3(a). An expression for isotope shift, Δ v_{ij}, in v' \div v"=0 vibronic transitions between components corresponding to the various (m₁+m₂) combinations of the isotope masses present in natural elements of the molecule is expressed as: enabled to determine the ω_0 (an intercept with vertical axis). Upper and lower inserts show ω_e x $_e'$ (ρ^2) and ω_e' (ρ) dependencies, respectively, drawn for all different $((A_1 + A_2)$ from 212 to 232) isotopic combinations. *Right:* The measured (full circles with error bars), and calculated for v' (our assignment, solid line) and v'±3 (dotted lines) isotopic shifts Δv_{ij} (see formula below) between

 $\Delta v_{ij}(v') = (1-\rho)\omega_e^{\prime}(v'+1/2) - (1-\rho^2)\omega_e^{\prime}x_e^{\prime}(v'+1/2)^2 - (1-\rho)\omega_e^{\prime\prime}/2 + (1-\rho^2)\omega_e^{\prime\prime}x_e^{\prime\prime}/4$ (2)

where $p=(\mu / \mu_j)^{1/2}$ and μ =m₁m₂/(m₁+m₂).

Fig. 3. The ${}^10^+_u$, $v' \text{ } \text{ } \text{ } \times 10^+_g$, v'' =0 transition in an excitation spectrum of Cd₂. (a) Experimental trace showing v assignments. Effective 655R, 2002 (unpublished)] showing the "best fit" to the $v'-v''=0$ progression obtained for ΔR _e=1.04±0.01 Å; the simulation includes distance from the nozzle X_{eff}=6 mm, pressure of the carrier gas p_{Ar}=12 atm, temperature of the source oven T₀=870 K, n₀ density number of Cd atoms in the source oven $n_0 = 6 \times 10^{17}$ cm⁻³, and the density number in the region of excitation n(X_{eff}= 6 mm =10¹³ cm⁻³. Laser dye: Coumarine 500 (the long-wavelength part of the spectrum was recorded in a separate experiment with Coumarine 540A). **(b)** Computer-simulated spectrum [LEVEL 7.5 code of R. J. LeRoy, *A Computer Program for Solving the* Radial Schrödinger Equation for Bound and Quasibound Levels, University of Waterloo Chemical Physics Research Report CPthe isotopic composition of each vibrational component assuming turning-point pairs from the inversive perturbation approach procedure and Morse representations for the excited and ground states, respectively; the relative positions of the isotopic peaks were calculated using Eq. (2), and their amplitudes were weighted relative to the total relative abundances of particular isotopes in natural cadmium. The individual (A_1+A_2) isotopic peaks were represented by a Lorentzian curve with FWHM of 2.3 cm⁻¹. The rotational structure of the isotopic components was not simulated. Details of the \mathbb{v}^* =38-40 components (rectangular) are shown in the left part of the Figure. (**c**) Amplitudes of all elementary components with different (m_1+m_2) mass combinations within each of the $(\mathsf{A}_1$ + $\mathsf{A}_2)$ isotopic peak showing complexity of one vibrational component and drawn in order to show their overlap for neighboring v' .

G. Rodriguez and J. G. Eden, J. Chem. Phys. **95**, 5539 (1991) H. C. Tran and J. G. Eden, *J. Chem. Phys.* **105**, 6771 (1996). $^{\rm j}$ W. Kedzierski et al., *J. Mol. Spectrosc.* $\dot{\textbf{173}}$, 510 (1995), derived for the (202 Hg)₂ isotopomer ^a this work, derived for the ²²⁶Cd₂ isotopomer
^b this work, Birge-Sponer plot ^c this work, from D₀ = v_{at} - v_{oo} + D₀¹
d this work, from D₀ = D₀¹ + $\omega_6^1/2$ - $\omega_6^1/4$
e this work, simulation of the ¹0¹₀ - X¹0¹₉ excitation spectrum
f this work, ab initio calculatio ^g this work, calculated as described in caption of Fig. 4 h i this work, Birge-Sponer plot this work, ab initio calculation $\frac{1}{6}$ = v_{at} - v₀₀ + D₀"
'_e = D'₀ + ω'_e/2 - ω'_ex'_e/4
tion of the ¹0...+X¹0...

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fluctuation is 0.707 for a covalent single bond, whereas a pure vdW interaction corresponds to a value of zero. The square of the local spin is zerofor S=0 and 0.866 for S=1/2. (c) Experimental theoretical van der Waals and ab initio ground-state bond lengths, $R_{\rm e}^{n}$ plotted versus $\alpha_{\rm Me}$, for Me₂ (Me=Zn, Cd, Hg) molecules (for details see book advertised in the upper-right corner of the poster.